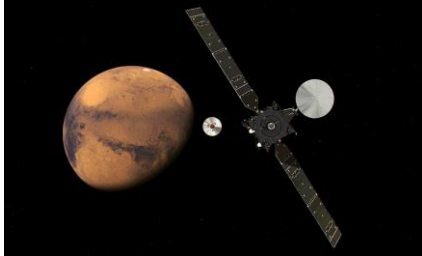


NEWTON'S 2ND LAW & WORK-ENERGY Units 10,11,6,&7

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 & New York Times, October 15, 2016 by Jonathan Corum, Dedicated to Dr. Cise's HS Math teacher, 1956 Mr. Lucian, RB HS

The ExoMars Spacecraft Approaches the Red Planet

The European-Russian ExoMars spacecraft will release a lander on Sunday. Both spacecraft and lander will arrive at Mars Wednesday.

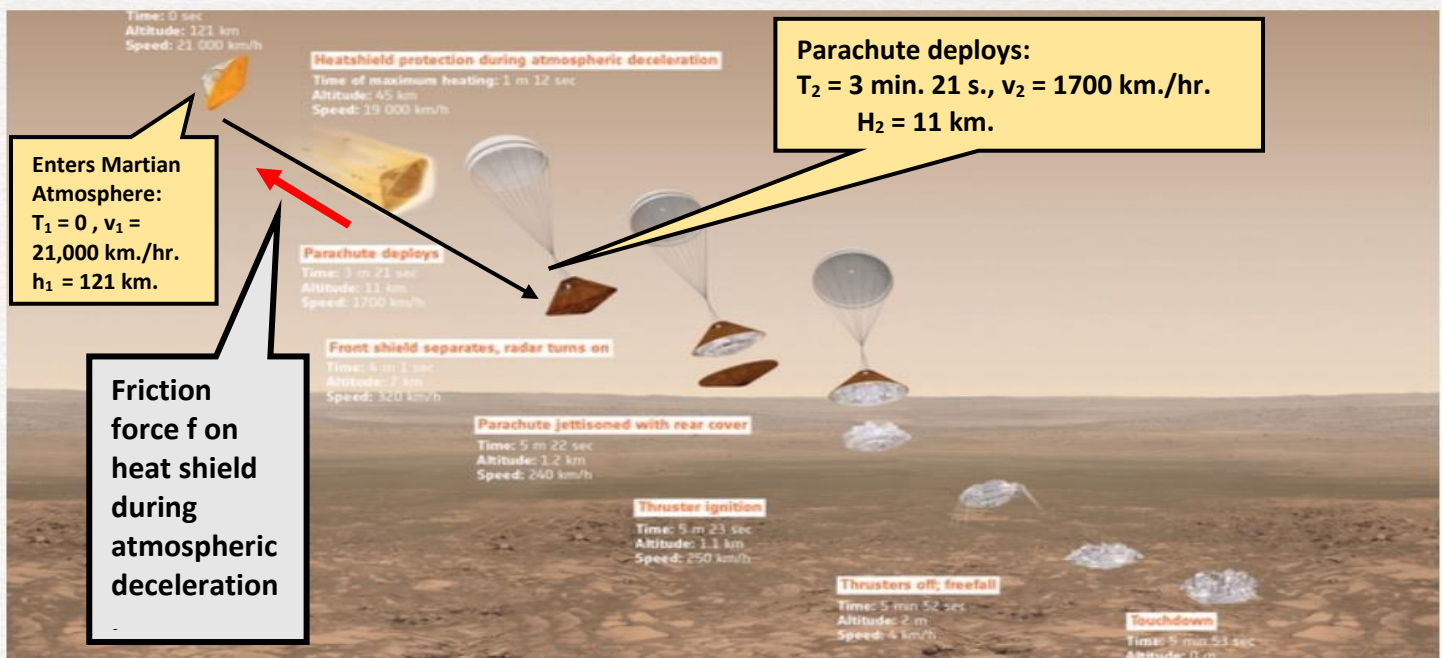


Schiaparelli lander Trace Gas Orbiter
 European Space Agency/ATG Medialab

INTRODUCTION: Oct. 19, 2016, Europe's Schiaparelli lander ($m = 600 \text{ kg.}$) will enter Martian atmosphere 5 min. 53 seconds prior to landing on Mars. It's initial speed will be 21,000 km./hr. (v_1) at a altitude of 121 km. (h_1). At 3 min. 21 seconds before landing the Lander will be 11 km. above Martian surface slowed down to 1700 km./hr. (v_2) by atmospheric friction.

QUESTIONS: (a) Convert v_1 & v_2 to m./s. ? (b) Find initial kinetic energy (K_1) and final kinetic energy (K_2) of the lander ?, (c) Find initial gravitational potential energy (U_1) and final gravitational potential energy (U_2) of the lander? **CONTINUED BELOW**

The ExoMars spacecraft has two components: the solar-powered Trace Gas Orbiter and **the Schiaparelli lander**. The lander will carve through the atmosphere, release its parachute, separate from its outer shell and fire thrusters as it falls to the surface. **ESA**



QUESTIONS(CON.): (d) Find work done by atmospheric friction while slowing down the lander capsule? Use work-energy concepts ($W = \Delta K + \Delta U$). (e) Find time in seconds between t_1 and t_2 ?, (f) Find average velocity between t_1 and t_2 ?, (g) Find distance traveled (x) between t_1 and t_2 ? (h) Find atmospheric friction force(f) on Lander?, (i) Find rate of deceleration between t_1 and t_2 ?, (j) Knowing mass $m = 600 \text{ kg.}$ of lander, find frictional force (f) using Newton's 2nd law $F_{NET} = m a$? (k) Comment of frictional force (f) computation by work-energy vs. $F_{NET} = m a$?

HINTS: $0.2777 \text{ m./s} = \text{km./hr.}$, $K = \frac{1}{2} m v^2$, $U = m g h$, $g(\text{Martian}) = 3.711 \text{ m./s.}^2$, $W = f x$, $v_{AVE} = (v_1 + v_2)/2$
 $X = v_{AVE} t$,

ANSWERS: (a) $v_1 = 5833.33 \text{ m./s.}$, $v_2 = 472.22 \text{ m./s.}$, (b) $K_1 = 10.208 \times 10^9 \text{ J}$, $K_2 = 0.0669 \times 10^9 \text{ J}$, (c) $U_1 = 0.269 \times 10^9 \text{ J}$, $U_2 = 0.0245 \times 10^9 \text{ J}$, (d) $W = - 10.3856 \times 10^9 \text{ J}$, (e) 201 s., (f) $v_{AVE} = 6,069.44 \text{ ft./s.}$, (g) $x = 0.633715 \times 10^6 \text{ m}$
 (h) $f = - 16,388.44 \text{ N}$, (i) $a = - 26.67 \text{ m./s.}^2$, (j) $f = - 16,002 \text{ N}$, (k) f is close in each case. (j) a bit low due to small Martian Gravitational force component in slightly below horizontal direction not considered in $F_{NET} = m a$.